ENGINEERING MATHEMATICS –IV (Core Subject) B.E., IV Semester, Electrical and Electronics Engineering [As per Choice Based Credit System (CBCS) scheme]

Course Code	17MAT41	CIE Marks	40			
Number of Lecture Hours/Week	04	SEE Marks	60			
Total Number of Lecture Hours	50	Exam Hours	03			
Credits - 04						

Course Objectives:

The purpose of this course is to make students well conversant with numerical methods to solve ordinary differential equations, complex analysis, sampling theory and joint probability distribution and stochastic processes arising in science and engineering.

Module-1		Teachin Hours
degree, Taylor's s Milne's and Adar Revised Bloom's	ods: Numerical solution of ordinary differential equations of first order and first series method, modified Euler's method, Runge - Kutta method of fourth order. ms-Bashforth predictor and corrector methods (No derivations offormulae). \blacksquare L ₂ - Understanding, L ₃ - Applying.	10
Taxonomy Level Module-2		
	ods: Numerical solution of second order ordinary differential equations, Runge-	10
Kutta method and	, , , , , , , , , , , , , , , , , , , ,	10
Special Function	ons: Series solution-Frobenious method. Series solution of Bessel's differential	
	to $J_n(x)$ -Bessel's function of first kind. Basic properties, recurrence relations and	
	eries solution of Legendre's differential equation leading to $P_n(x)$ -Legendre	
polynomials. Rod	rigue's formula, problems.	
Revised Bloom's	L_2 – Understanding, L_3 – Applying.	
Taxonomy Level		
Module-3	· · · · · · · · · · · · · · · · · · ·	
Complex Variab	les: Review of a function of a complex variable, limits, continuity, differentiability.	10
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	ns-Cauchy-Riemann equations in cartesian and polar forms. Properties and	
Analytic functio	ns-Cauchy-Riemann equations in cartesian and polar forms. Properties and nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral	
Analytic functio construction of a formula, Residue,	nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral poles, Cauchy's Residue theorem (without proof) and problems.	
Analytic function construction of a formula, Residue, Transformations	nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral poles, Cauchy's Residue theorem (without proof) and problems. Conformal transformations, discussion of transformations:	
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Analytic function construction of a formula, Residue, Transformations $w = z^2, w = e^z$,	nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral poles, Cauchy's Residue theorem (without proof) and problems. Conformal transformations, discussion of transformations: $w = z + (1/z)(z \neq 0)$ and bilinear transformations-problems.	
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Analytic function construction of a formula, Residue, Transformations $w = z^2, w = e^z$, Revised Bloom's Taxonomy Level Module-4	nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral poles, Cauchy's Residue theorem (without proof) and problems. Conformal transformations, discussion of transformations: $w = z + (1/z)(z \neq 0)$ and bilinear transformations-problems.	10
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Analytic function construction of a formula, Residue, Transformations $w = z^2$, $w = e^z$, Revised Bloom's Taxonomy Level Module-4 Probability Dist functions. Binom problems.	nalytic functions. Complex line integrals-Cauchy's theorem and Cauchy's integral poles, Cauchy's Residue theorem (without proof) and problems. S: Conformal transformations, discussion of transformations: w = z + (1/z)(z ≠ 0) and bilinear transformations-problems. L₂ - Understanding, L₃ - ApplyingL₄ - Analysing. tributions: Random variables (discrete and continuous), probability mass/density nial distribution, Poisson distribution. Exponential and normal distributions,	10
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B.E ELECTRICAL AND ELECTRONICS ENGINEERING (EEE) CHOICE BASED CREDIT SYSTEM (CBCS) SEMESTER - IV

17MAT41 ENGINEERING MATHEMATICS – IV (Core Subject) (continued)

Course outcomes:

- Use appropriate single step and multi-step numerical methods to solve first and second order ordinary differential equations arising in flow data design problems.
- Explain the idea of analyticity, potential fields residues and poles of complex potentials in field theory and electromagnetic theory.
- Employ Bessel's functions and Legendre's polynomials for tackling problems arising in continuum mechanics, hydrodynamics and heat conduction.
 - Describe random variables and probability distributions using rigorous statistical methods to analyze
 problems associated with optimization of digital circuits, information, coding theory and stability
 analysis of systems.
 - Apply the knowledge of joint probability distributions and Markov chains in attempting engineering problems for feasible random events.

Graduate Attributes (As per NBA)

Engineering Knowledge, Problem Analysis, Life-Long Learning, Accomplishment of Complex Problems.

Question paper pattern:

- The question paper will have ten full questions carrying equal marks.
- Each full question consisting of 16 marks.
- There will be two full questions (with a maximum of four sub questions) from each module.
- Each full question will have sub question covering all the topics under a module.
- The students will have to answer five full questions, selecting one full question from each module.

Text Books:							
1	Higher Engineering Mathematics	B.S. Grewal	Khanna Publishers	43 rd Edition, 2015			
2	Advanced Engineering Mathematics	E. Kreyszig	John Wiley & Sons	10 th Edition, 2015			
Reference books:							
3	A Text Book of Engineering Mathematics	N.P.Bali and Manish Goyal	Laxmi Publishers	7 th Edition, 2010			
4	Higher Engineering Mathematics	B.V.Ramana	McGraw-Hill	2006			
5	Higher Engineerig Mathematics	H. K. Dass and Er. RajnishVerma	S.Chand publishing	First Edition, 2011			

Web links and Video Lectures

- 1. http://nptel.ac.in/courses.php?disciplineID=111
- 2. http://www.khanacademy.org/
- 3. http://www.class-central.com/subject/math